## Jacob Lurie: Roots of Unity in Intermediate Characteristic

In classical algebraic geometry, there is often a stark difference between the behavior of fields of characteristic zero (such as the complex numbers) and fields of characteristic $p$ (such as finite fields). For example, the equation $x^{\wedge} p=1$ has $p$ distinct solutions over the field of complex numbers, but only one solution over any field of characteristic $p$. In this talk, I'll give an introduction to $\mathrm{K}(\mathrm{n})$-local homotopy theory, which in some sense interpolates between characteristic zero and characteristic p , and describe some curious behavior of roots of unity in these intermediate regimes.

